

# A Framework for Systems Engineering Research

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# Why research?



For an engineering field to be taken seriously amongst other engineering disciplines, (Valedri & Davidz, 2007):

- it must have a solid theoretical basis that
- underpins the system engineering methods and processes as valid and consistent.

# What is research?

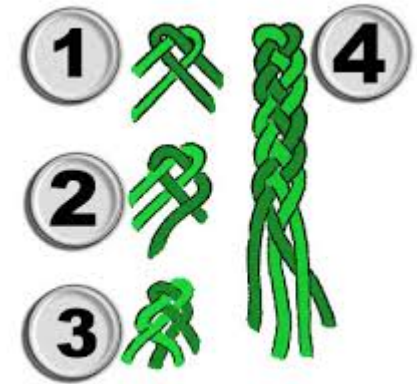
- Research consists of a whole continuum of research designs that cover a spectrum from (Marais 2012):
  - the soft science to that of
  - the hard sciences.



- It is a human activity to gain knowledge about our world
- It is one of the ways in gaining knowledge about our world with a rigid skeptical criticizing function associated with it
- It has a proven method (Scientific Method)

- We already know from various researchers that it is difficult to do research in systems engineering

(Rhodes & Valderi 2007) (Valderi & Davidz 2009) (Sparrus 2011)



- Do you follow the methods of the hard sciences or that of the soft sciences, in other words,
  - Is systems engineering a hard engineering discipline or is it a management discipline?

- Systems engineering has many facets and to choose only one type of research design is naïve and problematic.
- A necessity for hybrid research methods in systems engineering exists (Rhodes & Valderi 2007).





Valderi & Davidz (2009) states that empirical research in systems engineering is a new frontier with many challenges that includes:

- Conducting the empirical research in the field.
- Threats to validity associated with data collection.
- Considering empirical mixed-methods research.

# What mindset is required?

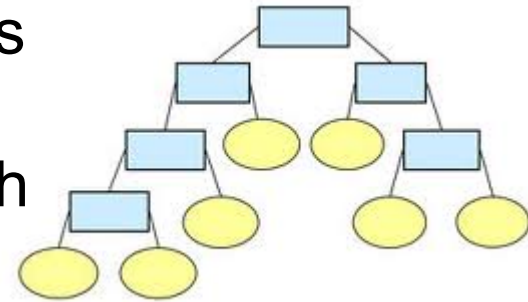
"mindset" {*noun*}

*a set of beliefs or a way of thinking that determines one's behavior, outlook and mental attitude.*



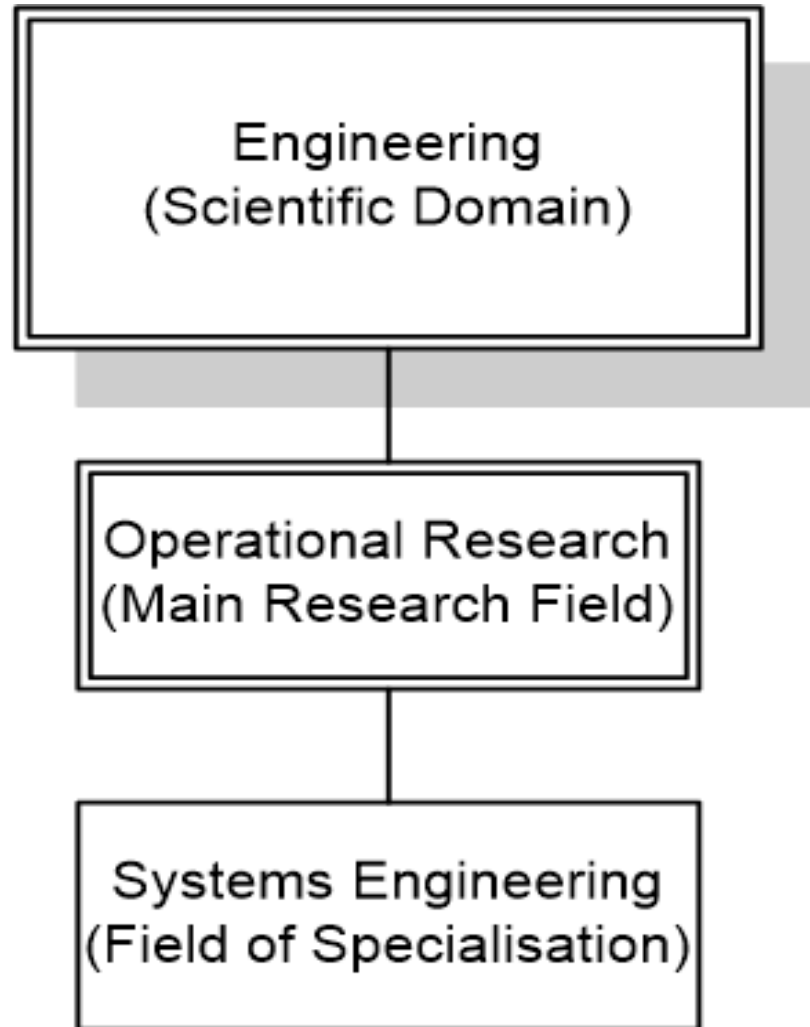
- Systems Engineering requires a post-modernistic mindset in which the measurements are defined relative to the subject under investigation.

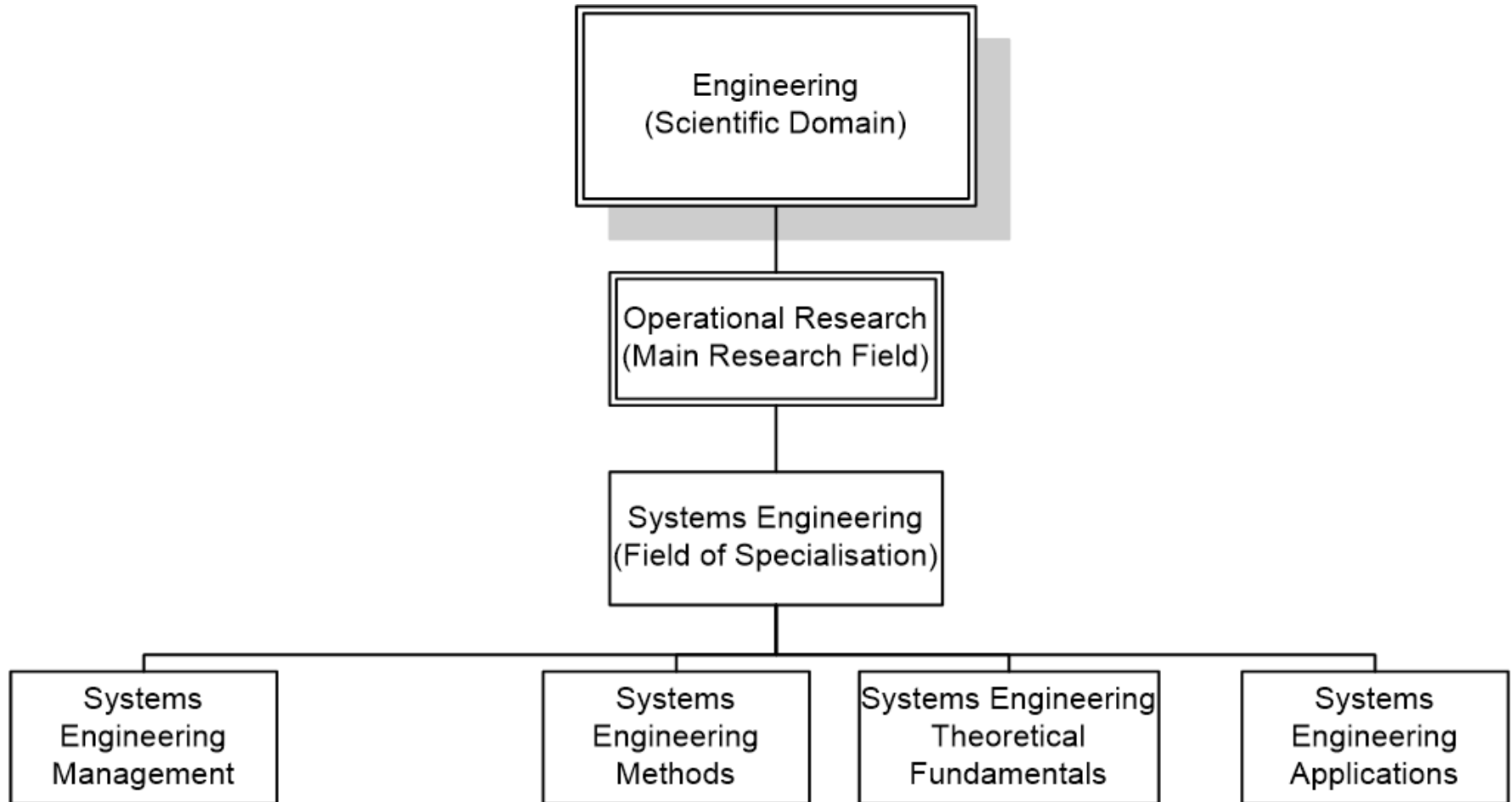
An academic research programme for systems engineering in South Africa needs a classification in terms of the National Research Foundation's (NRF) framework for evaluating research output.



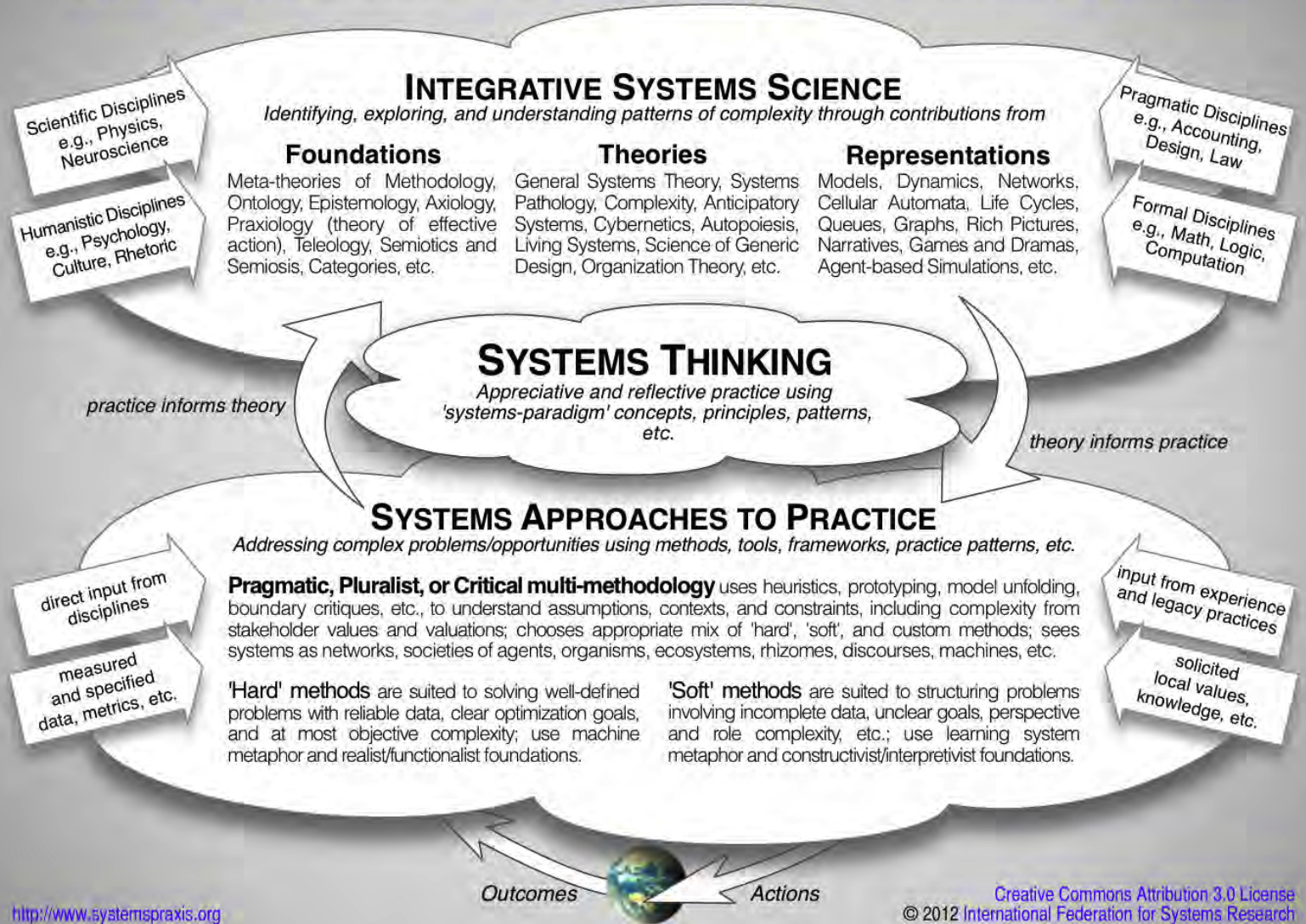


# Classification of Systems Engineering Research

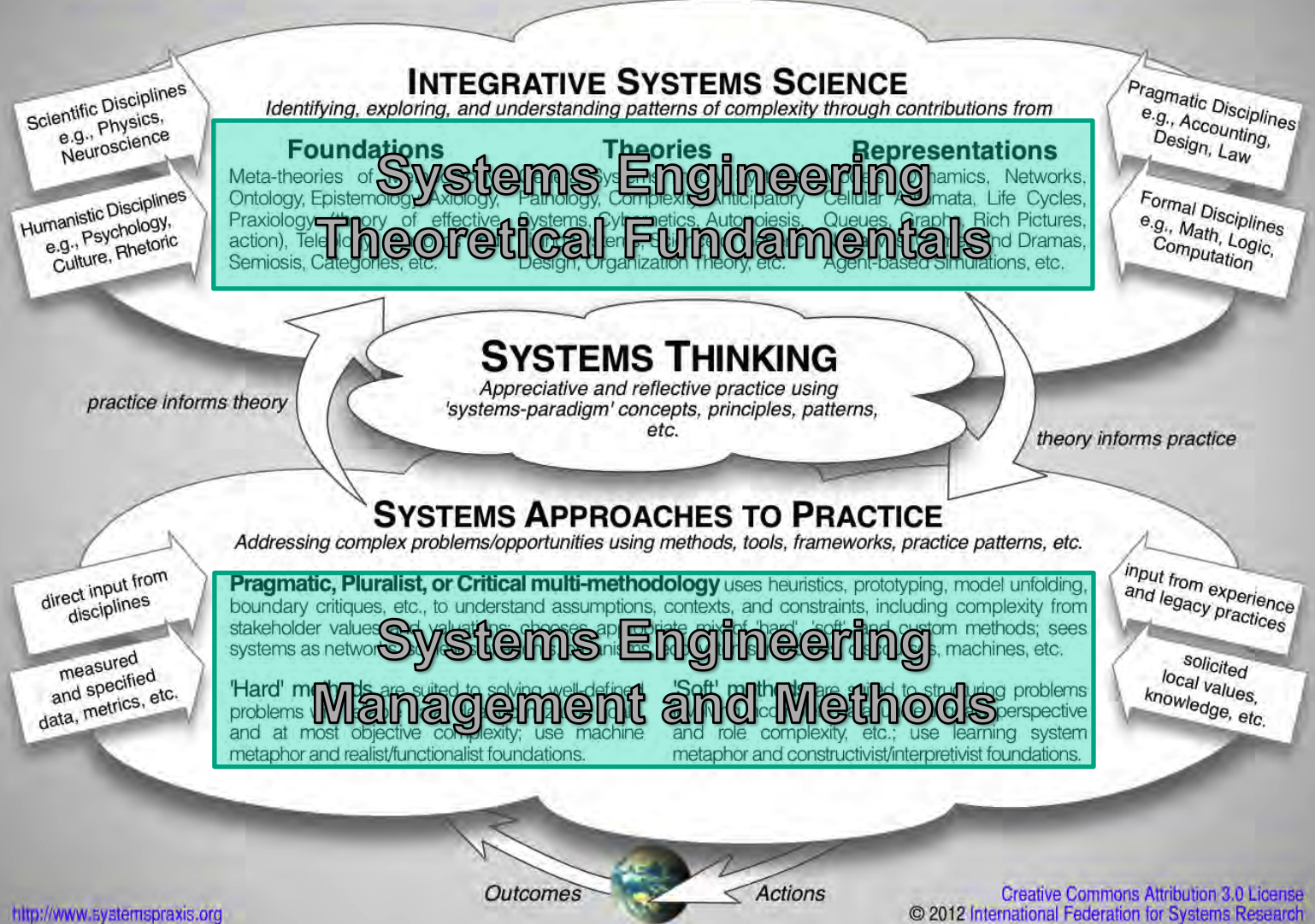


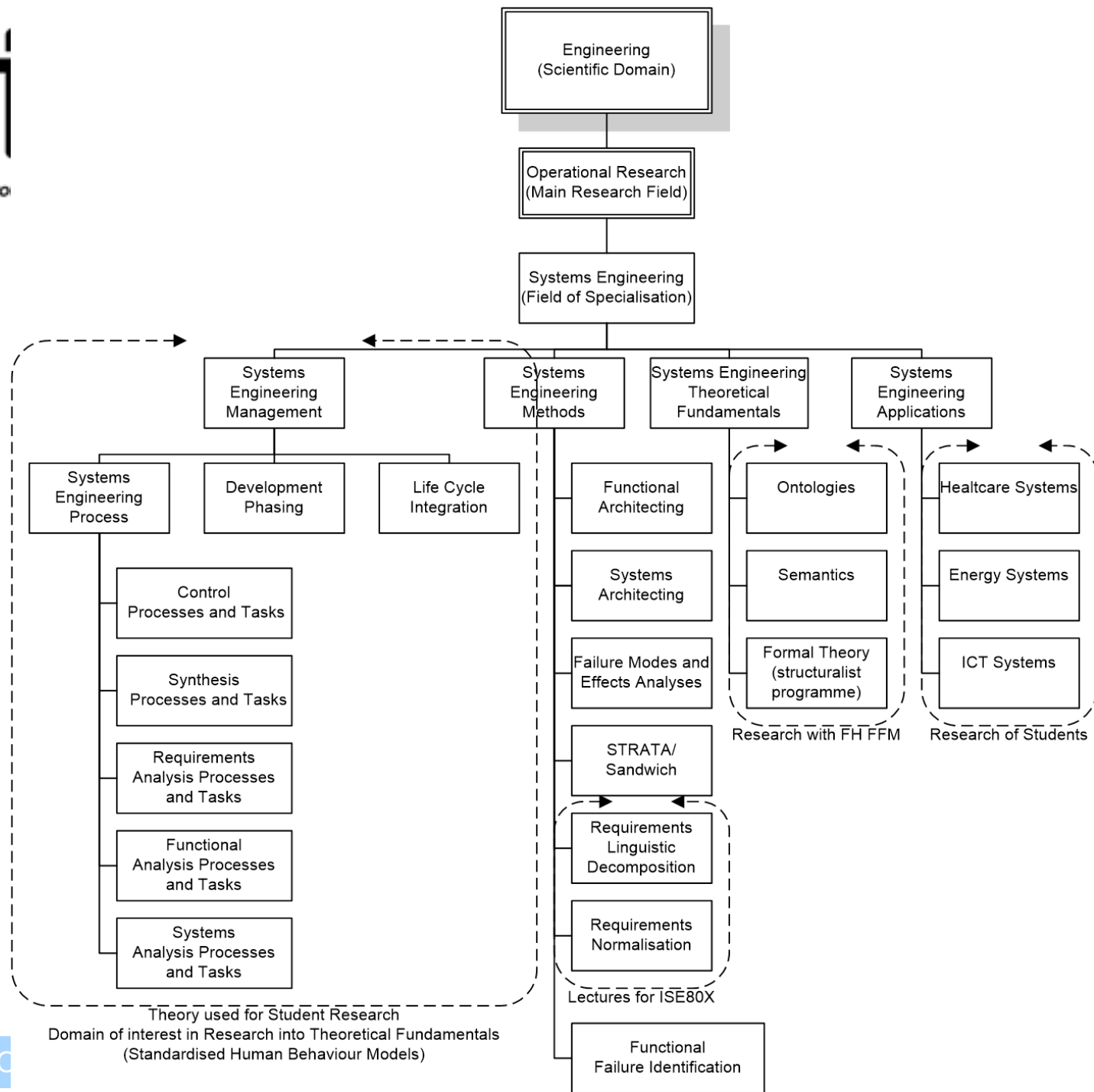


The *Systems Praxis Framework*, a joint project of the *International Council on Systems Engineering* and the *International Society for the Systems Sciences*



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- Structuralist philosophy of science  
(Balzer, Moulines & Sneed, 1987)
- Not to be confused with structuralism
- It is the method used by Nobel Prize winners since 1970's

## Definition 4 (Theory)

$$T(x) \iff x = \langle \langle O_1, \dots, O_n \rangle, \langle R_1, \dots, R_m, f_1, \dots, f_k \rangle, A \rangle$$

with

$O_i$  representing a set of objects,

$R_i$  representing relations,

$f_i$  representing functions and mappings, and

$A$  representing the axioms of the theory.

In the above definition  $A$  is the axioms, and  $O_i$ ,  $R_i$  as well as  $f_i$  are part of the inference rules in figure 1.2 on p. 8.

For every relation or function, a type can be given by stating the structure of either the set or sets to which it belongs, [36, 35], e.g.

$$\begin{aligned} R_i &\subseteq O_1 \times \mathbf{2}^{(O_1 \times O_2)} \\ f_j &\subseteq \mathbf{2}^{(O_1 \times O_2)} \times O_3 \end{aligned}$$

The axioms describe laws or definitions in the domain of the theory's objects and relations [36, 35], e.g.

1. Laws:  $(\forall x, y)(P(x) \wedge C(y) \Rightarrow X(x, y))$
2. Definitions:  $(\forall x)(f(x) = \{y | F(x, y)\})$ .

The theory  $T$ , on its own, is a pure formal theory with no connection to empirical reality. To establish such a relationship, data  $D$  is needed.  $D$  is written in a data representation language  $L'$ , which should be a subset of the formal language  $L$ , thus  $L' \subset L$  [36, 35].

## Definition 6 (System)

$$\begin{aligned}
 \text{Systems} &= \{x \mid \text{SYSTEM}(x)\} \quad \wedge \\
 \text{SYSTEM}(x) &\iff \\
 &x \in \{ \langle x_1, x_2 \rangle \mid x_1 = \langle O_1, \dots, O_m \rangle \wedge x_2 = \langle R_1, \dots, R_n \rangle \} \quad \wedge \\
 \text{obj}(x) &= x_1 \quad \wedge \\
 \text{rel}(x) &= x_2 \quad \wedge \\
 \text{states}(x) &= \mathcal{S} \subseteq \text{obj}(x) \quad \wedge \\
 \mathcal{S} \cap \text{Systems} &= \emptyset
 \end{aligned}$$



## 3.2 Formal system breakdown structure

In systems engineering, a system breakdown structure (SBS) is used as a structure to define and manage a system and its life cycle [81, 44, 77, 11].

Formally, it can be said that

$$SBS = \{(x, y) | y \in \mathbf{2}^S, S \in Systems, \exists x \in \mathbf{2}^S, y \subsetneq x\} \quad (3.1)$$

where  $S$  is the system with lowest level of resolution that is of interest.

The subsystems and components of  $S$  are  $S_s$ , thus

$$S_s \subset S \quad (3.2)$$

$S$  is an environment for the subsystems  $S_s$ . Each sub-system in  $S_s$  is again a system which consists of subsystems and components. This is repeated until the necessary level of resolution is reached.

A component can be defined as follows:

$$\begin{aligned} Components = \{x \mid & COMPONENTS(x)\} \quad \wedge \\ & COMPONENTS(x) \iff x \cap Systems \neq \emptyset \quad \wedge \\ & obj(x) \cap Systems = \emptyset \quad \wedge \\ & rel(x) \cap Systems \neq \emptyset \end{aligned}$$

Each level of resolution is indicated by a number. The highest level of resolution is system level one. If a system consists of seven levels of resolution, then the lowest level of resolution will be number 7 and the highest resolution level will be 1. From this description, it follows that if  $S^{(i)}$  is the subsystems and components of system level  $i + 1$  and  $\ell$  is the number of system levels of interest, then

$$S^{(1)} \subset S^{(2)} \subset \dots \subset S^{(\ell)} = S$$

If  $S^{(i)}$  is the subsystems and components of system level  $i + 1$ , then

$$\forall x \in S^{(i)}, \exists y \in S^{(i+1)}, \ni x \subset y$$

$$\Sigma(x) \iff x \in \langle \mathcal{S}, \mathcal{E}, \mathcal{A}, \mathcal{D}, \mathcal{P}, \mathcal{M}_{\mathcal{R}}, \mathcal{M}_{\mathcal{S}}, \mathcal{M}_{\mathcal{S}^*}, \rho, \delta, \iota \rangle$$

where the operators are abbreviated as follows:

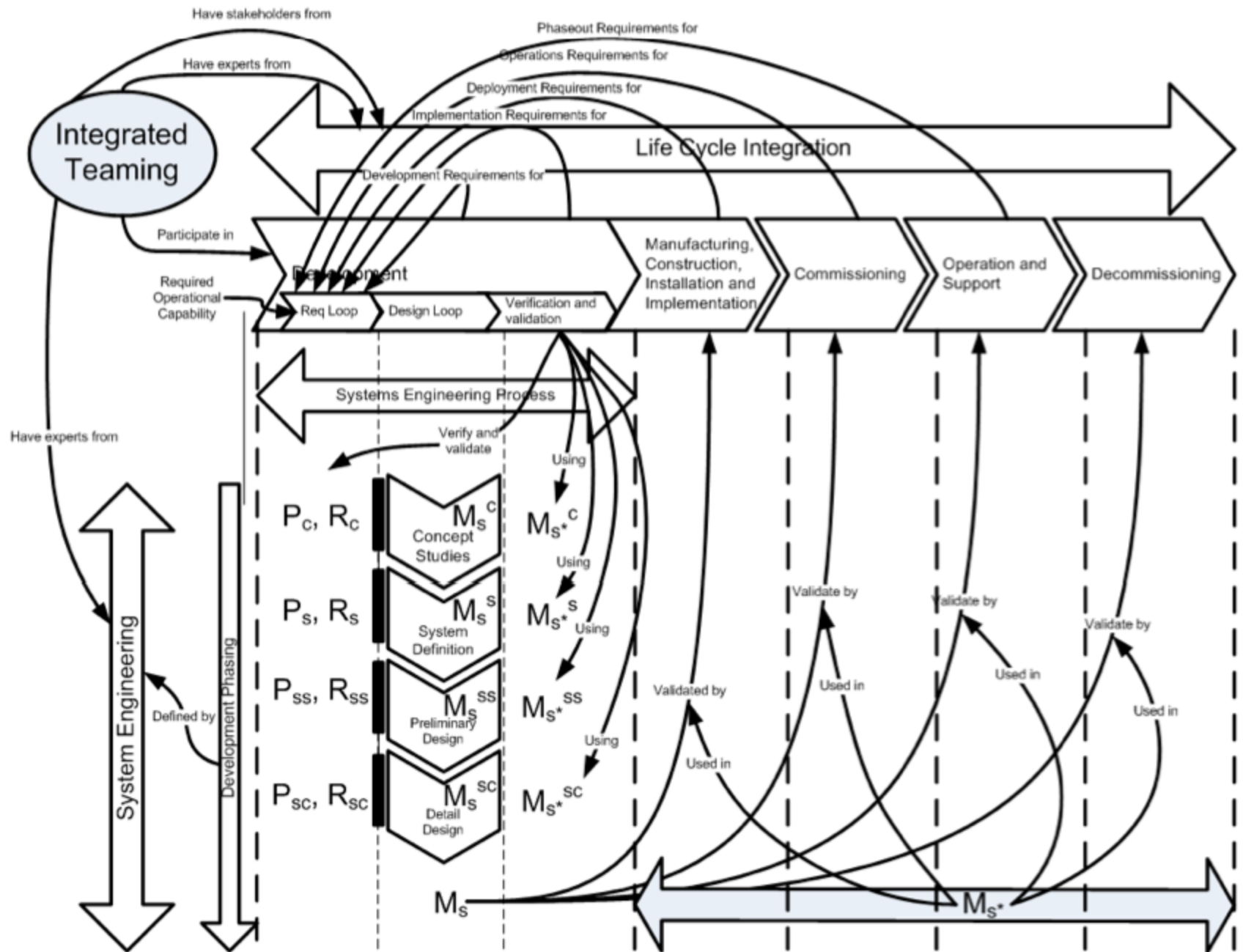
$\rho$  := *requirements*

$\delta$  := *design*

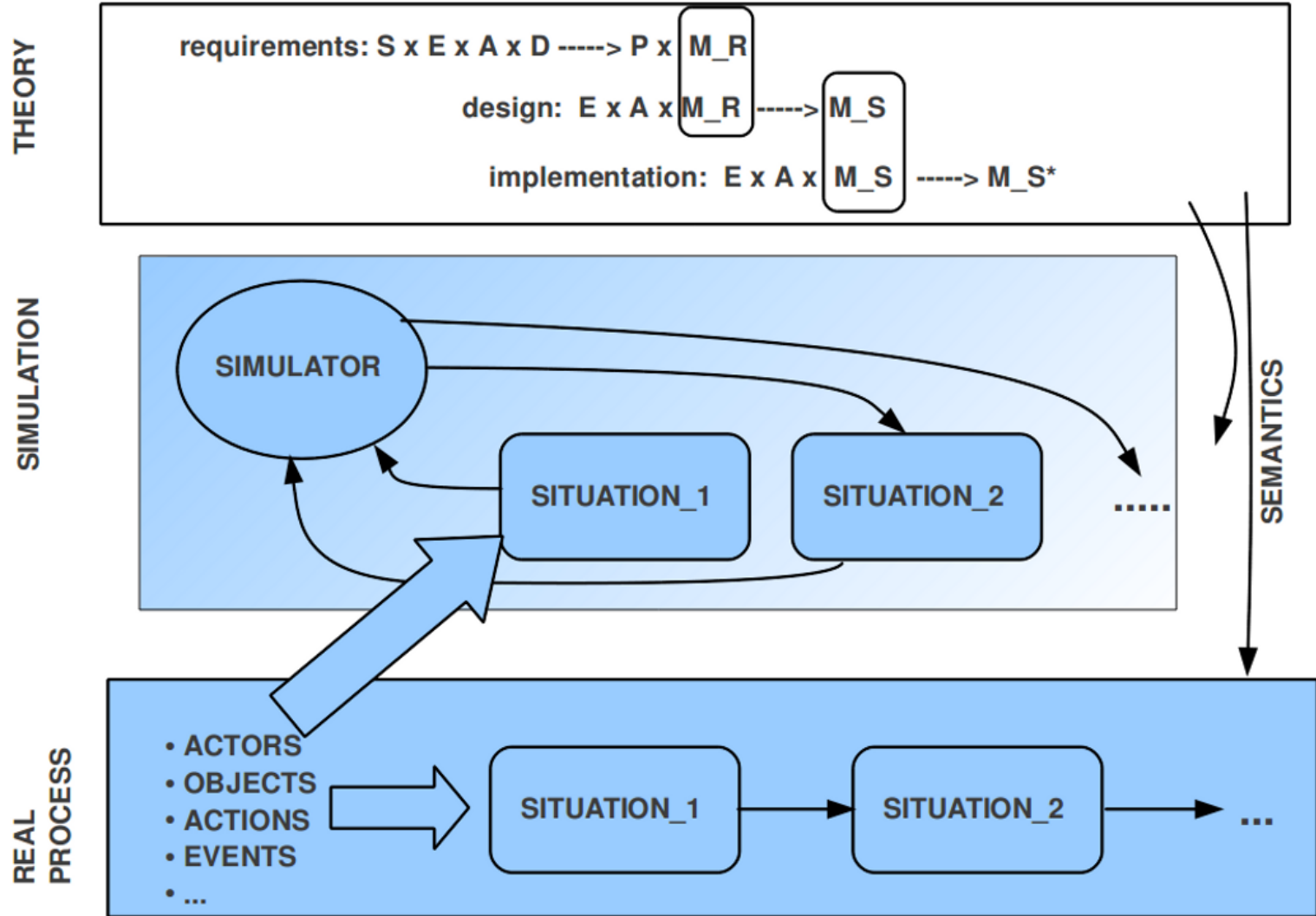
$\iota$  := *implement*



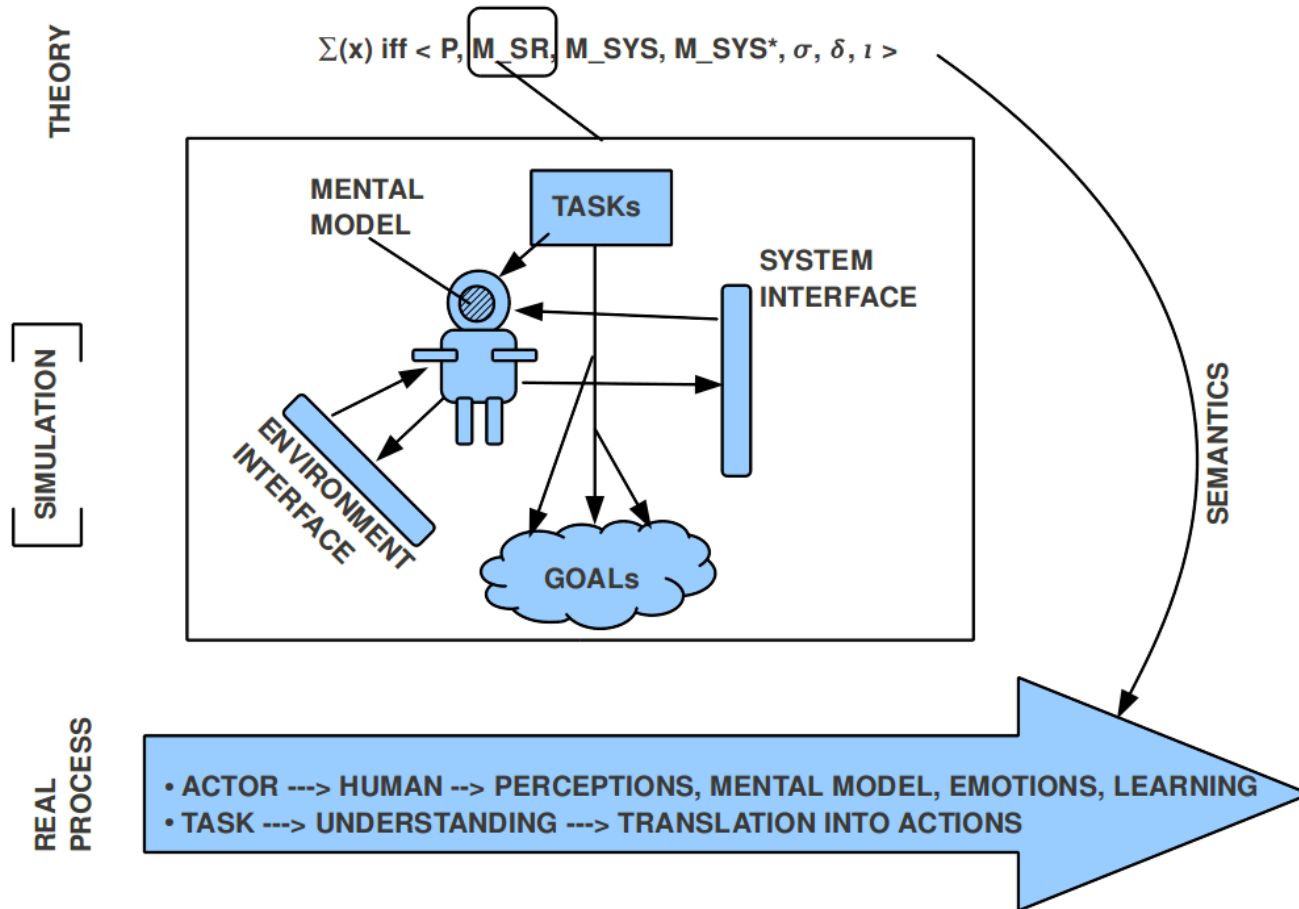
**Erasmus, L. D. and Doeben-Henisch, G. 2011.** A Theory of the System Engineering Process. In *10th AFRICON Conference: Sustainable Energy & Communications Development for Africa*, Livingston, Zambia.



# Semantic of theory



# Semantic of theory



- A framework is proposed to perform systems engineering research within South Africa.
- Within the reference of the National Research Foundation (NRF) classification of research, Systems Engineering is classified within:
  - Specific Scientific Domain of Engineering,
  - Main research Field of Operational Research.
- Four categories for systems engineering research in South Africa:
  - Formal Theories for Systems Engineering,
  - Tools for Systems Engineering,
  - Processes for Systems Engineering (Standardised behaviour) and
  - Systems Engineering Applications.

